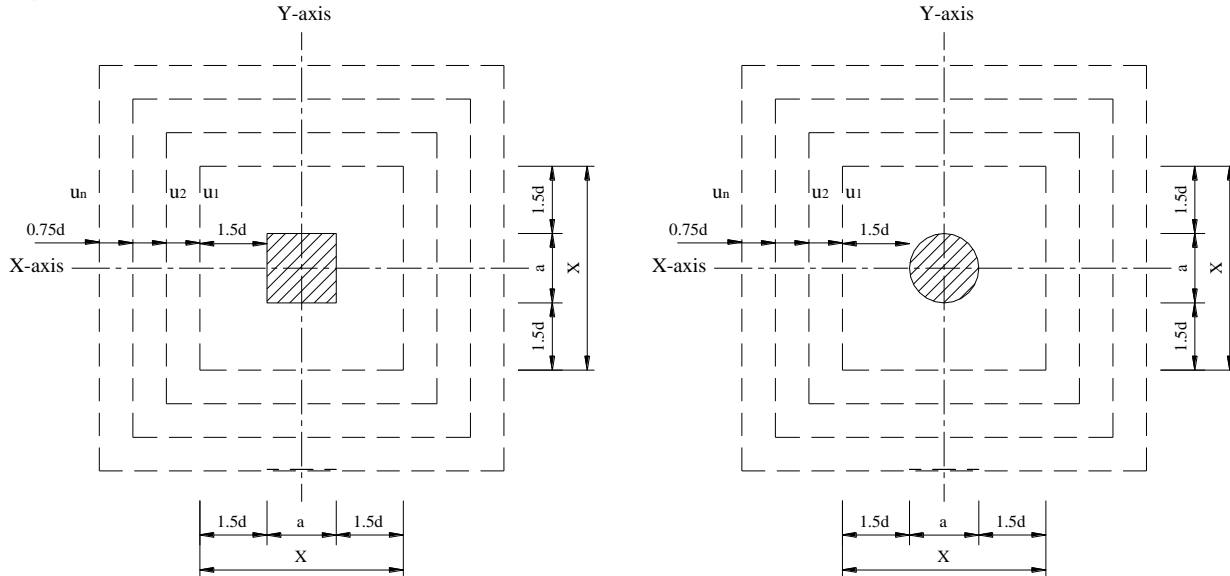


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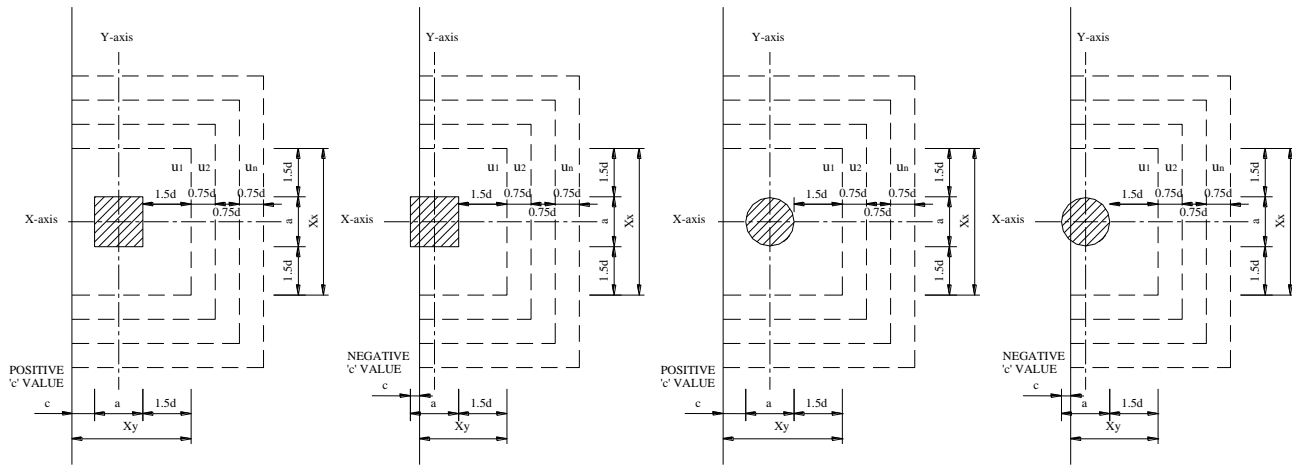
Symbols	Units	Description
a	mm	Width of column or pile.
A_{sv}	mm ² /m	Area of shear reinforcement.
b	mm	Breadth of column or pile.
c	mm	Dimension to edge of slab from face of column or pile (see diagrams).
d	mm	Effective depth.
h	mm	Overall slab depth.
e	mm	Dimension to edge of slab from face of column or pile (see diagrams).
f_{cu}	N/mm ²	Characteristic strength of concrete.
f_{yv}	N/mm ²	Characteristic strength of shear reinforcement. (not to be taken more than 500 N/mm ²)
M_t	kN/m	Design moment transferred between slab and column at the connection.
u_0	mm	Effective length of the perimeter which touches a loaded area.
u_1, u_2, \dots	mm	Effective length of the perimeter.
u_n	mm	The effective perimeter where $v \leq v_c$
v	N/mm ²	Design shear stress.
v_c	N/mm ²	Design concrete shear stress.
V_{eff}	kN	Design effective shear including allowance for moment transfer.
V_t	kN	Design shear transferred to column
X	mm	The length of the side of the perimeter considered parallel to axis of bending.
<p>Note. X is always taken as the length of the side of u_1 at 1.5d from the column or pile face for each perimeter. When calculating the direct shear with a moment at the column or pile face, X can be calculated as the length of the side of u_0 as worst case, but it is normal practice to use 1.5d as stated.</p>		

Square/Circular Loaded Areas - INTERNAL



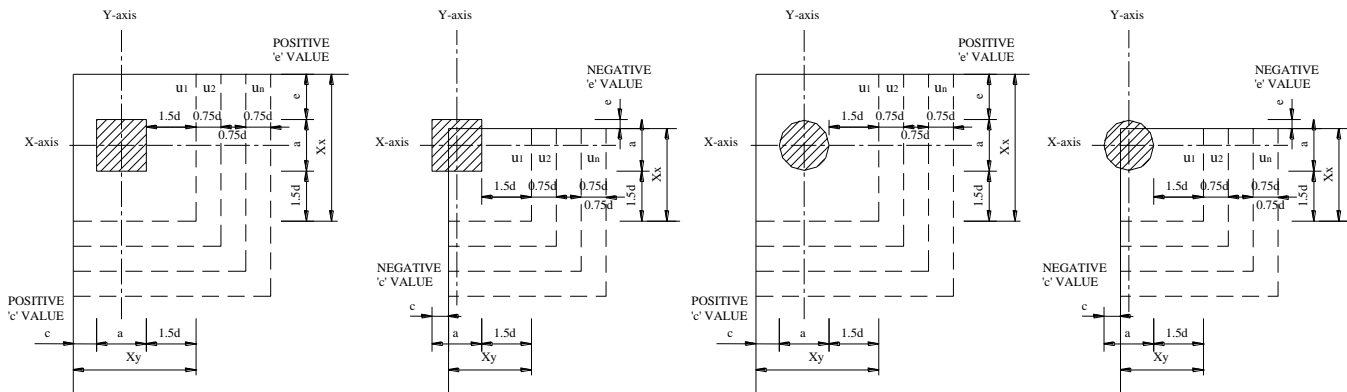
<p>Reference to BS8110 part1 Figure 3.14 3.7.7.2 Figure 3.15 Design at face Equation 27 3.7.6.4 & 3.7.7.2</p>	<p>$d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2$ (average in both directions) $X = a + (2 \times 1.5d)$ (required only when there is a moment in the slab) $u_0 = 4a$ (Square column/pile) or $a\pi$ (Circular column/pile) $V_{eff} = 1.15V_t$ (direct shear) or $V_{eff} = V_t (1 + 1.5M_t / (V_t \times X))$ (moment present) $v = V_{eff} / (u_0 \times d)$ Check v is not greater than $0.8 \times \sqrt{f_{cu}}$ or 5 N/mm^2 f_{cu} should not to be taken greater than 40 N/mm^2</p>
<p>Design at Perimeters 3.7.7.3 Table 3.8 Equation 28 3.7.7.4 3.7.7.5 Equation 29a Equation 29b Figure 3.17</p>	<p>Design each perimeter u_1, u_2, \dots, u_n - starting $1.5d$ from the column/pile face and at $0.75d$ thereafter until v_c is greater than or equal to v.</p> <p>$u_1 = ((1.5d \times 2) + a) \times 4 \dots u_2 = ((2.25d \times 2) + a) \times 4 \dots u_3 = ((3d \times 2) + a) \times 4$..& so on</p> <p>$100A_s / (1000 \times d)$ Not to be taken more than 3</p> <p>$400 / d$ Not to be taken less than 1</p> <p>$v_c = 0.79 \times ((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4} / 1.25) \times (f_{cu} / 25)^{1/3}$</p> <p>$v = V_{eff} / (u_1 \times d)$</p> <p>3.7.7.4 $v' < v_c$ ➤ No Shear reinforcement is required</p> <p>3.7.7.5 $v' > 2v_c$ ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a $v' \leq 1.6v_c$ ➤ $A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})$ Note: $\sin 90^\circ = 1$ for vertical bars</p> <p>Equation 29b $1.6v_c < v' \leq 2v_c$ ➤ $A_{sv} = 5(0.7v - v_c) u_1 d / (0.87f_{yv})$ Note: $\sin 90^\circ = 1$ for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = $(0.4 u_1 d) / (0.87f_{yv}) \dots$ (altering u_1 to u_2, etc... accordingly)</p> <p>Note : A_{sv} is for TWO perimeters of studs/links at a maximum of $0.75d$ centres.</p> <p>The first perimeter of studs located at $0.5d$ should contain 40% of the calculated area of the reinforcement required in u_1</p> <p>Repeat 'design at perimeters'... until $v' < v_c$ hence no more reinforcement is required.</p>

Square/Circular Loaded Areas - EDGE



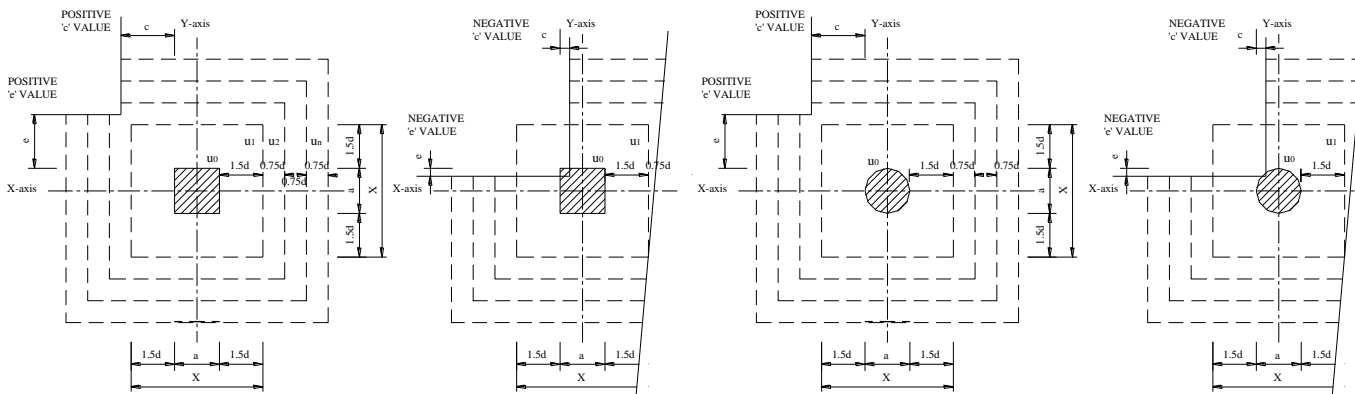
<p>Reference to BS8110 part 1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p>Design at face</p> <p>Equation 27</p> <p>3.7.6.4 & 3.7.7.2</p>	<p><u>Cantilever edges (c) are restricted to a maximum of 3d, lengths greater than 3d are ignored.</u></p> <p>$d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2$ (average in both directions)</p> <p>$Xy = a + c + 1.5d$ or $Xx = a + (2 \times 1.5d)$ (required only when there is a moment in the slab)</p> <p>Square column $u_0 = a \times 3$ or $u_0 = a \times 3 + c \times 2$ Whichever is the smallest.</p> <p>Circular column $u_0 = ap$ or when there is a negative value for 'c' $u_0 = ap + (cp)$.</p> <p>use X as Xx or Xy as appropriate</p> <p>$V_{eff} = 1.4V_t$ or $1.25V_t$ (direct shear) or $V_{eff} = V_t (1.25 + 1.5M_t / (V_t \times X))$ (moment present)</p> <p>$v = V_{eff} / (u_0 \times d)$</p> <p>Check v is not greater than $0.8 \times \sqrt{f_{cu}}$ or 5 N/mm^2</p> <p>f_{cu} should not to be taken greater than 40 N/mm^2</p>
<p>Design at Perimeters</p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter u_1, u_2, \dots, u_n - starting $1.5d$ from the column/pile face and at $0.75d$ thereafter until v_c is greater than or equal to v.</p> <p>$u_1 = (1.5d \times 4) + 3a + 2c$.. $u_2 = (2.25d \times 4) + 3a + 2c$.. $u_3 = (3d \times 2) \times 4 + 3a + 2c$.. & so on</p> <p>$100A_s / (1000 \times d)$ Not to be taken more than 3</p> <p>$400 / d$ Not to be taken less than 1</p> <p>$v_c = 0.79 \times ((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4}) / 1.25) \times (f_{cu} / 25)^{1/3}$</p> <p>$v = V_{eff} / (u_1 \times d)$</p> <p>3.7.7.4 $v' < v_c$ ➤ No Shear reinforcement is required</p> <p>3.7.7.5 $v' > 2v_c$ ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a $v' \leq 1.6v_c$ ➤ $A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})$ Note: $\text{Sin } 90^\circ = 1$ for vertical bars</p> <p>Equation 29b $1.6v_c < v' \leq 2v_c$ ➤ $A_{sv} = 5(0.7 v - v_c) u_1 d / (0.87f_{yv})$ Note: $\text{Sin } 90^\circ = 1$ for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = $(0.4 u_1 d) / (0.87f_{yv})$ (altering u_1 to u_2, etc... accordingly)</p> <p>Note : 'A_{sv}' is for TWO perimeters of studs/links at a maximum of $0.75d$ centres.</p> <p>The first perimeter of studs located at $0.5d$ should contain 40% of the calculated area of the reinforcement required in u_1</p> <p>Repeat 'design at perimeters'... until $v' < v_c$ hence no more reinforcement is required.</p>

Square/Circular Loaded Areas – INTERNAL CORNER



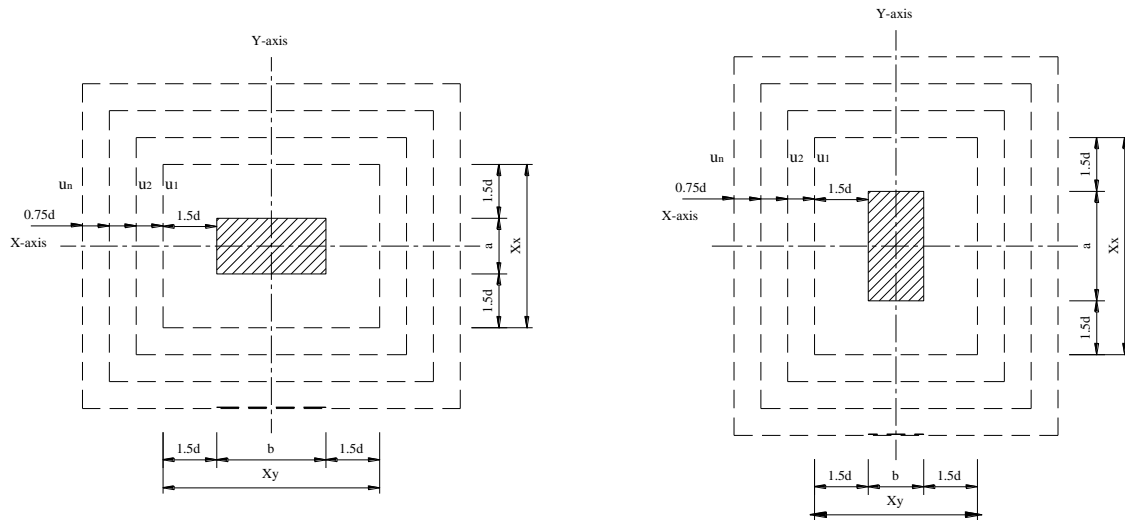
<p>Reference to BS8110 part 1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p>Design at face</p> <p>Equation 27</p> <p>3.7.6.4 & 3.7.7.2</p>	<p>Cantilever edges (c,d) are restricted to a maximum of 3d, lengths greater than 3d are ignored.</p> <p>$d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2$ (average in both directions)</p> <p>$Xy = a + c + 1.5d$ or $Xx = a + e + 1.5d$ (required only when there is a moment in the slab)</p> <p>Square column $u_0 = 2a + \text{any negative value for 'c' or 'e'}$.</p> <p>Circular column $u_0 = 2/3 \times ap$ or when there is a negative value for 'c' or 'e' use</p> <p>$u_0 = 2/3 \times ap + (cp/2)$ $u_0 = 2/3 \times ap + (ep/2)$ $u_0 = 2/3 \times ap + (cp/2) + (ep/2)$ accordingly</p> <p>use X as Xx or Xy as appropriate</p> <p>$V_{eff} = 1.25V_t$ (direct shear) or $V_{eff} = V_t (1.25 + 1.5M_t / (V_t \times X))$ (moment present)</p> <p>$v = V_{eff} / (u_0 \times d)$</p> <p>Check v is not greater than $0.8 \times \sqrt{f_{cu}}$ or 5 N/mm^2</p> <p>f_{cu} should not be taken greater than 40 N/mm^2</p>
<p>Design at Perimeters</p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter u_1, u_2, \dots, u_n - starting $1.5d$ from the column/pile face and at $0.75d$ thereafter until v_c is greater than or equal to v.</p> <p>$u_1 = (1.5d \times 2) + 2a + c + e$.. $u_2 = (2.25d \times 2) + 2a + c + e$.. $u_3 = (3d \times 2) + 2a + c + e$.. & so on</p> <p>$100A_s / (1000 \times d)$ Not to be taken more than 3</p> <p>$400 / d$ Not to be taken less than 1</p> <p>$v_c = 0.79 \times ((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4}) / 1.25) \times (f_{cu}/25)^{1/3}$</p> <p>$v = V_{eff} / (u_1 \times d)$</p> <p>3.7.7.4 $v' < v_c$ ➤ No Shear reinforcement is required</p> <p>3.7.7.5 $v' > 2v_c$ ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a $v' \leq 1.6v_c$ ➤ $A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})$ Note: $\sin 90^\circ = 1$ for vertical bars</p> <p>Equation 29b $1.6v_c < v' \leq 2v_c$ ➤ $A_{sv} = 5(0.7v - v_c) u_1 d / (0.87f_{yv})$ Note: $\sin 90^\circ = 1$ for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = $(0.4 u_1 d) / (0.87f_{yv})$ (altering u_1 to u_2, etc... accordingly)</p> <p>Note : 'A_{sv}' is for TWO perimeters of studs/links at a maximum of $0.75d$ centres.</p> <p>The first perimeter of studs located at $0.5d$ should contain 40% of the calculated area of the reinforcement required in u_1.</p> <p>Repeat 'design at perimeters'... until $v' < v_c$ hence no more reinforcement is required.</p>

Square/Circular Loaded Areas - EXTERNAL CORNER



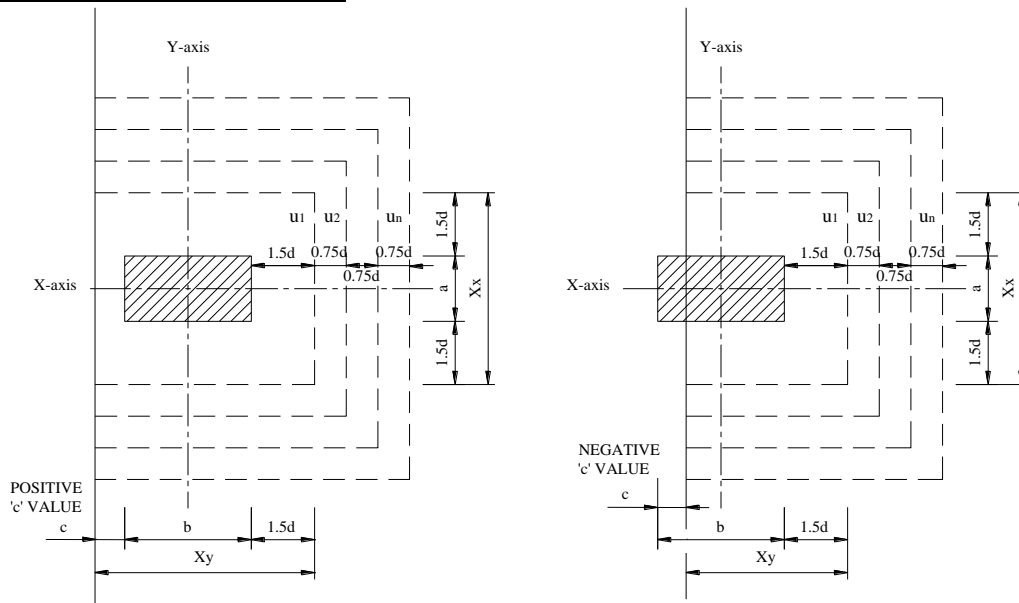
<p>Reference to BS8110 part 1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p>Design at face</p> <p>Equation 27</p> <p>3.7.6.4 & 3.7.7.2</p>	<p><u>Cantilever edges (c,e) are restricted to a maximum of 1.5d, lengths greater are ignored.</u></p> <p>$d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2$ (average in both directions)</p> <p>$Xy = a + 3d$ or $Xx = a + 3d$ (required only when there is a moment in the slab)</p> <p>Square column $u_0 = 4a + \text{any negative value for 'c' or 'e'}$.</p> <p>Circular column $u_0 = ap + \text{any negative value for 'c' or 'e' using the formula } (pa/2 \times c/a) \text{ or } (pa/2 \times e/a) \text{ accordingly}$</p> <p>use X as Xx or Xy as appropriate</p> <p>$V_{eff} = 1.25V_t$ (direct shear) or $V_{eff} = V_t (1.25 + 1.5M_t / (V_t \times X))$ (moment present)</p> <p>$v = V_{eff} / (u_0 \times d)$</p> <p>Check v is not greater than $0.8 \times \sqrt{f_{cu}}$ or 5 N/mm^2</p> <p>f_{cu} should not to be taken greater than 40 N/mm^2</p>
<p>Design at Perimeters</p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter u_1, u_2, \dots, u_n - starting $1.5d$ from the column/pile face and at $0.75d$ thereafter until v_c is greater than or equal to v.</p> <p>$u_1 = (1.5d \times 6) + 4a + c + e \dots u_2 = (2.25d \times 6) + 4a + c + e \dots u_3 = (3d \times 6) + 4a + c + e \dots$ & so on</p> <p>Check u_1, u_2, \dots Against a complete enclosed perimeter i.e. $u_1 = ((1.5d \times 2) + a) \times 4$</p> <p>$100A_s / (1000 \times d)$ Not to be taken more than 3</p> <p>$400 / d$ Not to be taken less than 1</p> <p>$v_c = 0.79 \times ((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4} / 1.25) \times (f_{cu} / 25)^{1/3}$</p> <p>$v = V_{eff} / (u_1 \times d)$</p> <p>3.7.7.4 $v' < v_c$ ➤ No Shear reinforcement is required</p> <p>3.7.7.5 $v' > 2v_c$ ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a $v' \leq 1.6v_c$ ➤ $A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})$ Note: $\sin 90^\circ = 1$ for vertical bars</p> <p>Equation 29b $1.6v_c < v' \leq 2v_c$ ➤ $A_{sv} = 5(0.7v - v_c) u_1 d / (0.87f_{yv})$ Note: $\sin 90^\circ = 1$ for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = $(0.4 u_1 d) / (0.87f_{yv}) \dots$ (altering u_1 to u_2, \dots accordingly)</p> <p>Note : 'A_{sv}' is for TWO perimeters of studs/links at a maximum of $0.75d$ centres.</p> <p>The first perimeter of studs located at $0.5d$ should contain 40% of the calculated area of the reinforcement required in u_1.</p> <p>Repeat 'design at perimeters'... until $v' < v_c$ hence no more reinforcement is required.</p>

Rectangular Loaded Areas - INTERNAL



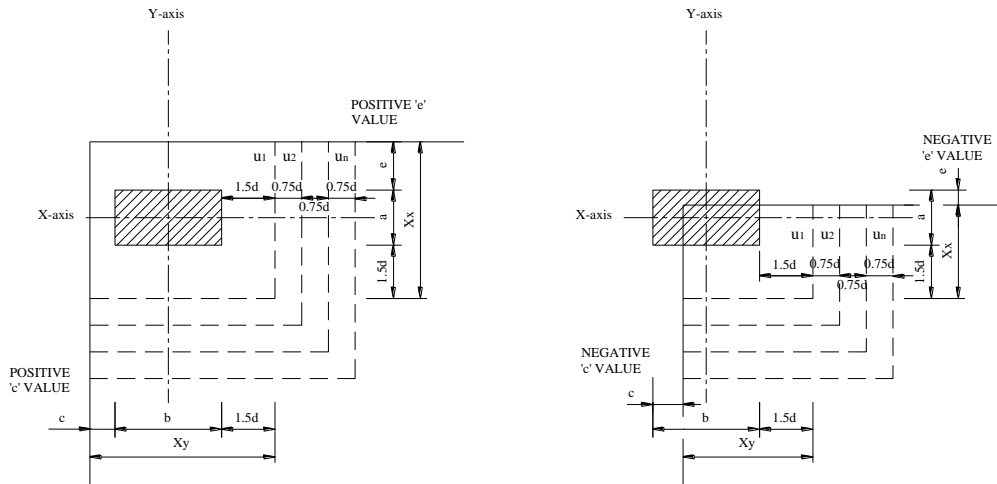
<p>Reference to BS8110 part1 1.3.4.1</p> <p>Figure 3.14 3.7.7.2</p> <p>Figure 3.15</p> <p>Design at face Equation 27 3.7.6.4 & 3.7.7.2</p>	<p>For Rectangular loaded areas with a length exceeding four times its thickness, should be considered as a wall receiving localised punching shear at its ends, see section on Wall/Blade Column</p> <p>$d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2$ (average in both directions)</p> <p>$Xy = b + (2 \times 1.5d)$ or $Xx = a + (2 \times 1.5d)$ (required only when there is a moment in the slab)</p> <p>$u_0 = 2a + 2b$ use X as Xx or Xy as appropriate</p> <p>$V_{eff} = 1.15V_t$ (direct shear) or $V_{eff} = V_t (1 + 1.5M_t / (V_t \times X))$ (moment present)</p> <p>$v = V_{eff} / (u_0 \times d)$</p> <p>Check v is not greater than $0.8 \times \sqrt{f_{cu}}$ or 5 N/mm^2</p> <p>f_{cu} should not to be taken greater than 40 N/mm^2</p>
<p>Design at Perimeters 3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter u_1, u_2, \dots, u_n - starting $1.5d$ from the column/pile face and at $0.75d$ thereafter until v_c is greater than or equal to v.</p> <p>$u_1 = (1.5d \times 2) \times 4 + (a + b) \times 2$.. $u_2 = (2.25d \times 2) \times 4 + (a + b) \times 2$.. $u_3 = (3d \times 2) \times 4 + (a + b) \times 2$.. & so on</p> <p>$100A_s / (1000 \times d)$ Not to be taken more than 3</p> <p>$400 / d$ Not to be taken less than 1</p> <p>$v_c = 0.79 \times ((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4}) / 1.25 \times (f_{cu} / 25)^{1/3}$</p> <p>$v = V_{eff} / (u_1 \times d)$</p> <p>$v' < 'v_c'$ ➤ No Shear reinforcement is required</p> <p>$'v' > '2v_c'$ ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a $'v' \leq '1.6v_c'$ ➤ $A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})$ Note: $\text{Sin } 90^\circ = 1$ for vertical bars</p> <p>Equation 29b $'1.6v_c' < 'v' \leq '2v_c'$ ➤ $A_{sv} = 5(0.7v - v_c) u_1 d / (0.87f_{yv})$ Note: $\text{Sin } 90^\circ = 1$ for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = $(0.4 u_1 d) / (0.87f_{yv})$ (altering u_1 to u_2, etc... accordingly)</p> <p>Note : 'A_{sv}' is for TWO perimeters of studs/links at a maximum of $0.75d$ centres.</p> <p>The first perimeter of studs located at $0.5d$ should contain 40% of the calculated area of the reinforcement required in u_1.</p> <p>Repeat 'design at perimeters'... until $'v' < 'v_c'$ hence no more reinforcement is required.</p>

Rectangular Loaded Areas - EDGE



<p>Reference to BS8110 part1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p>Design at face</p> <p>Equation 27</p> <p>3.7.6.4 & 3.7.7.2</p>	<p>Cantilever edges (c) are restricted to a maximum of 3d, lengths greater than 3d are ignored.</p> <p>$d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2$ (average in both directions)</p> <p>$Xy = b + c + 1.5d$ or $Xx = a + (2 \times 1.5d)$ (required only when there is a moment in the slab)</p> <p>$u_0 = a + 2b$ or $u_0 = a + 2b + 2c$ Whichever is the smallest.</p> <p>use X as Xx or Xy as appropriate</p> <p>$V_{eff} = 1.4V_t$ or $1.25V_t$ (direct shear) or $V_{eff} = V_t (1.25 + 1.5M_t / (V_t \times X))$ (moment present)</p> <p>$v = V_{eff} / (u_0 \times d)$</p> <p>Check v is not greater than $0.8 \times \sqrt{f_{cu}}$ or 5 N/mm^2</p> <p>f_{cu} should not to be taken greater than 40 N/mm^2</p>
<p>Design at Perimeters</p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter u_1, u_2, \dots, u_n - starting $1.5d$ from the column/pile face and at $0.75d$ thereafter until v_c is greater than or equal to v.</p> <p>$u_1 = (1.5d \times 4) + a + 2b + 2c \dots u_2 = (2.25d \times 4) + a + 2b + 2c \dots u_3 = (3d \times 2) \times 4 + a + 2b + 2c \dots$ & so on</p> <p>$100A_s / (1000 \times d)$ Not to be taken more than 3</p> <p>$400 / d$ Not to be taken less than 1</p> <p>$v_c = 0.79 \times ((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4}) / 1.25 \times (f_{cu} / 25)^{1/3}$</p> <p>$v = V_{eff} / (u_1 \times d)$</p> <p>3.7.7.4 $v' < v_c$ ➤ No Shear reinforcement is required</p> <p>3.7.7.5 $v' > 2v_c$ ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a $v' \leq 1.6v_c$ ➤ $A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})$ Note: $\text{Sin } 90^\circ = 1$ for vertical bars</p> <p>Equation 29b $1.6v_c < v' \leq 2v_c$ ➤ $A_{sv} = 5(0.7v - v_c) u_1 d / (0.87f_{yv})$ Note: $\text{Sin } 90^\circ = 1$ for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = $(0.4 u_1 d) / (0.87f_{yv}) \dots$ (altering u_1 to u_2, etc... accordingly)</p> <p>Note : $'A_{sv}'$ is for TWO perimeters of studs/links at a maximum of $0.75d$ centres.</p> <p>The first perimeter of studs located at $0.5d$ should contain 40% of the calculated area of the reinforcement required in u_1.</p> <p>Repeat 'design at perimeters'... until $v' < v_c$ hence no more reinforcement is required.</p>

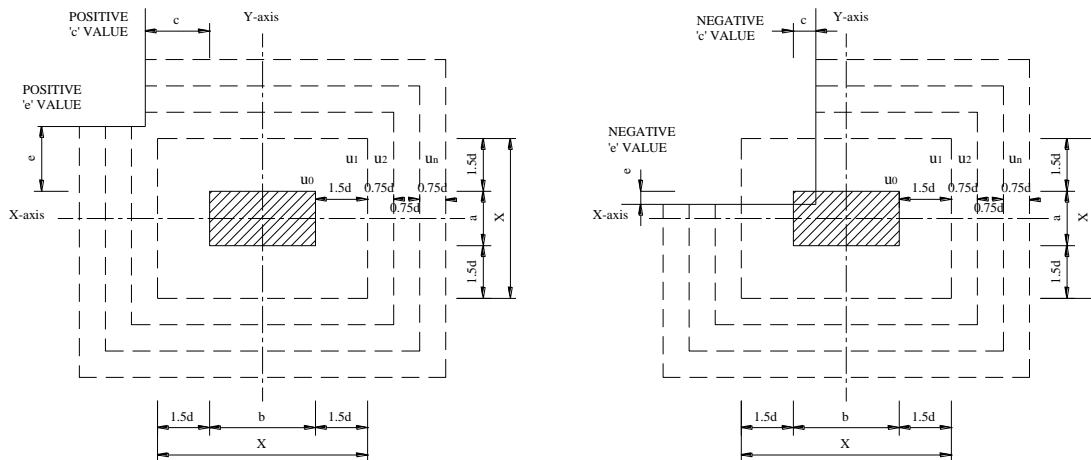
Rectangular Loaded Areas – INTERNAL CORNER



<p>Reference to BS8110 part1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p>Design at face</p> <p>Equation 27</p> <p>3.7.6.4 & 3.7.7.2</p>	<p><u>Cantilever edges (c) are restricted to a maximum of 3d, lengths greater than 3d are ignored.</u></p> <p>$d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2$ (average in both directions)</p> <p>$Xy = b + c + 1.5d$ or $Xx = a + e + 1.5d$ (required only when there is a moment in the slab)</p> <p>$u_0 = a + b + \text{any negative value for 'c' or 'e'}$.</p> <p>use X as Xx or Xy as appropriate</p> <p>$V_{eff} = 1.25V_t$ (direct shear) or $V_{eff} = V_t (1.25 + 1.5M_t / (V_t \times X))$ (moment present)</p> <p>$v = V_{eff} / (u_0 \times d)$</p> <p>Check v is not greater than $0.8 \times \sqrt{f_{cu}}$ or 5 N/mm^2</p> <p>f_{cu} should not to be taken greater than 40 N/mm^2</p>
<p>Design at Perimeters</p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter u_1, u_2, \dots, u_n - starting $1.5d$ from the column/pile face and at $0.75d$ thereafter until v_c is greater than or equal to v.</p> <p>$u_1 = (1.5d \times 2) + a + b + c + e \dots u_2 = (2.25d \times 2) + a + b + c + e \dots u_3 = (3d \times 2) + a + b + c + e \dots$ & so on</p> <p>$100A_s / (1000 \times d)$ Not to be taken more than 3</p> <p>$400 / d$ Not to be taken less than 1</p> <p>$v_c = 0.79 \times ((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4}) / 1.25) \times (f_{cu} / 25)^{1/3}$</p> <p>$v = V_{eff} / (u_1 \times d)$</p> <p>$v' < 'v_c'$ ➤ No Shear reinforcement is required</p> <p>$v' > '2v_c'$ ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>$v' \leq '1.6v_c'$ ➤ $A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})$ Note: $\sin 90^\circ = 1$ for vertical bars</p> <p>$'1.6v_c' < v' \leq '2v_c'$ ➤ $A_{sv} = 5(0.7 v - v_c) u_1 d / (0.87f_{yv})$ Note: $\sin 90^\circ = 1$ for vertical bars</p> <p>Check against minimum Steel = $(0.4 u_1 d) / (0.87f_{yv}) \dots$ (altering u_1 to u_2, etc... accordingly)</p> <p>Note : 'A_{sv}' is for TWO perimeters of studs/links at a maximum of $0.75d$ centres.</p> <p>The first perimeter of studs located at $0.5d$ should contain 40% of the calculated area of the reinforcement required in u_1.</p> <p>Repeat 'design at perimeters'... until '$v' < 'v_c'$' hence no more reinforcement is required.</p>

Shear Design to BS8110

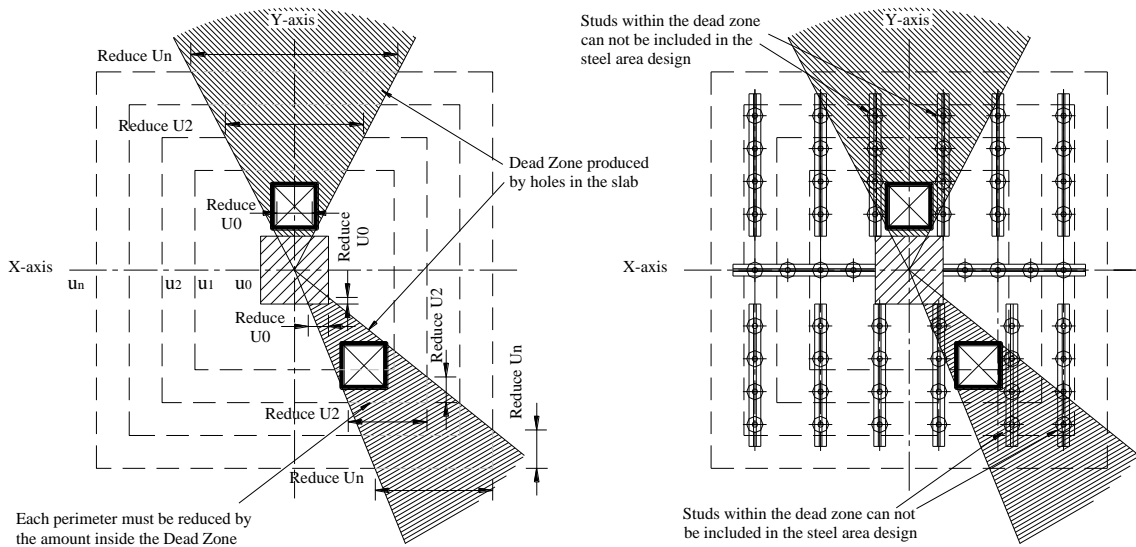
Rectangular Loaded Areas – EXTERNAL CORNER



<p>Reference to BS8110 part1</p> <p>Figure 3.14</p> <p>3.7.7.2</p> <p>Figure 3.15</p> <p>Design at face</p> <p>Equation 27</p> <p>3.7.6.4 & 3.7.7.2</p>	<p><u>Cantilever edges (c,e) are restricted to a maximum of 1.5d, lengths greater are ignored.</u></p> <p>$d = h - \text{top cover} - T1 \text{ Bars size} / 2 - T2 \text{ Bars size} / 2$ (average in both directions)</p> <p>$Xy = b + 3d$ or $Xx = a + 3d$ (required only when there is a moment in the slab)</p> <p>$u_0 = 2a + 2b + \text{any negative value for 'c' or 'e'}$.</p> <p>use X as Xx or Xy as appropriate</p> <p>$V_{eff} = 1.25V_t$ (direct shear) or $V_{eff} = V_t (1.25 + 1.5M_t / (V_t \times X))$ (moment present)</p> <p>$v = V_{eff} / (u_0 \times d)$</p> <p>Check v is not greater than $0.8 \times \sqrt{f_{cu}}$ or 5 N/mm^2</p> <p>f_{cu} should not to be taken greater than 40 N/mm^2</p>
<p>Design at Perimeters</p> <p>3.7.7.3</p> <p>Table 3.8</p> <p>Equation 28</p> <p>3.7.7.4</p> <p>3.7.7.5</p> <p>Equation 29a</p> <p>Equation 29b</p> <p>Figure 3.17</p>	<p>Design each perimeter u_1, u_2, \dots, u_n - starting $1.5d$ from the column/pile face and at $0.75d$ thereafter until v_c is greater than or equal to v.</p> <p>$u_1 = (1.5d \times 6) + 2a + 2b + c + e$.. $u_2 = (2.25d \times 6) + 2a + 2b + c + e$.. $u_3 = (3d \times 6) + 2a + 2b + c + e$.. & so on</p> <p>Check u_1, u_2, etc.. Against a complete enclosed perimeter i.e. $u_1 = ((1.5d \times 2) \times 4 + 2a + 2b)$</p> <p>$100A_s / (1000 \times d)$ Not to be taken more than 3</p> <p>$400 / d$ Not to be taken less than 1</p> <p>$v_c = 0.79 \times (((100A_s / (1000 \times d))^{1/3} \times (400 / d)^{1/4} / 1.25) \times (f_{cu} / 25)^{1/3}$</p> <p>$v = V_{eff} / (u_1 \times d)$</p> <p>$v' < 'v_c'$ ➤ No Shear reinforcement is required</p> <p>$'v' > '2v_c'$ ➤ Redesign using: deeper slab, increase grade or top reinforcement.</p> <p>Equation 29a $'v' \leq '1.6v_c'$ ➤ $A_{sv} = (v - v_c) u_1 d / (0.87f_{yv})$ Note: $\text{Sin } 90^\circ = 1$ for vertical bars</p> <p>Equation 29b $'1.6v_c' < 'v' \leq '2v_c'$ ➤ $A_{sv} = 5(0.7 v - v_c) u_1 d / (0.87f_{yv})$ Note: $\text{Sin } 90^\circ = 1$ for vertical bars</p> <p>Figure 3.17 Check against minimum Steel = $(0.4 u_1 d) / (0.87f_{yv})$ (altering u_1 to u_2, etc... accordingly)</p> <p>Note : 'A_{sv}' is for TWO perimeters of studs/links at a maximum of $0.75d$ centres.</p> <p>The first perimeter of studs located at $0.5d$ should contain 40% of the calculated area of the reinforcement required in u_1.</p> <p>Repeat 'design at perimeters'... until $'v' < 'v_c'$ hence no more reinforcement is required.</p>

Shear Design to BS8110

Design Guidance for Holes in Slabs



BS8110 part 1 1997 3.7.7.6 Modification of effective perimeter to allow for holes.

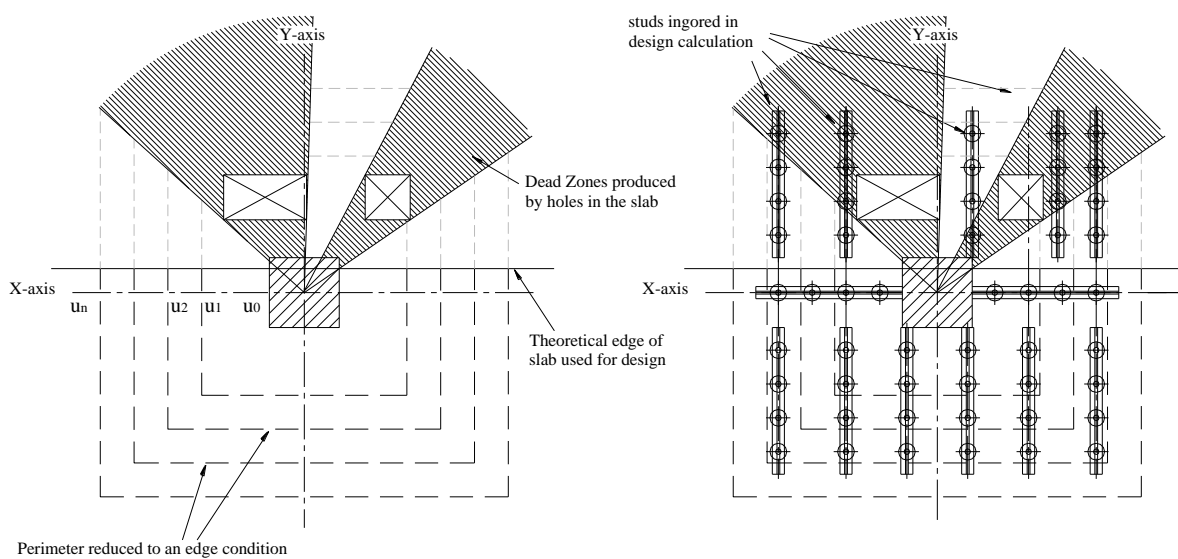
When a hole or holes are within $6d$ from the face of the column/pile, part of the perimeter that is enclosed by the radial projections (dead zone) from the centre of the column/pile to the edges of the hole/s are considered ineffective.

Each perimeter (u_0 , u_1 , etc..) must be reduced accordingly and any studs/reinforcement ignored when calculating the area of steel required/used, care should be taken when repositioning rails to miss holes that it has not moved into another perimeter without adjusting the calculation likewise.

A single hole can be ignored if its largest width is less than the smaller of:

1. One-quarter of the column side
2. Half the slab depth

It may be desirable or quicker to consider a worst-case design ignoring the part of the slab with the hole/s and design as an edge or corner condition, supplying additional rails to the disregarded area of slab that will be receiving load from the slab.



Alternatively, a percentage reduction of the perimeters can be used, but care must be taken, as the percentage will vary due to the position around the column/pile and with the distance between the column/pile to the hole.